PROJECT LOCATION				POSIT	POSITION COMPUTATION, ORDER TRIANGULATION (For calculating machine computation)  For use of this form, see FM 3-34.331; the proponent agency is TRADOC.														
				ORGANI	ORGANIZATION ORGANIZATION						70 T W 0	0 1.00 1, 11	DATE (YYYYMMDD)						
	1					0	,	"								0	,	"	
а	2		To 3						а	3			To 2						
$2^{d} \angle$		&				+			3d∠				&			-			
а	2						а	3			To 1								
$\Delta a$									$\Delta a$										
						180	00	00.00								180	00	00.00	
a' 1 T 2									a'	1			То 3						
	0 ,	,,	First Angle o	of Triangle		0	,	"		0	,	"				0	,	"	
$\phi$			2		λ				$\phi$				3		λ				
			s=		Δλ								s=		Δλ				
$\phi'$			1		λ'				$\phi^{'}$				1		λ΄				
$\Delta \phi$				(log s=	(log s= b=(y/10,000) 2					$\Delta \phi$				(log s= b=(y/10,000) 2					
					$x \text{ cor.} = -\frac{1}{2} \text{ fb}$									$x \text{ cor.} = -\frac{1}{2} \text{ fb}$					
				x'	-					!				x'					
x=s sin a				Н	Н					in a				н					
$y = -s \cos a$				Hx'=(approx	Hx'=(approx. Δ λ'' )					cos a				Hx'=(approx. Δ λ" )					
$a=(x'/10,000)^2$				Arc-sin =+	$\frac{\text{Arc-sin}}{\text{cor}} = + \frac{V(Va)}{15}$					//10,000	)) <sup>2</sup>			$Arc - sin_{cor} = + \frac{V(Va)}{15}$					
y cor.=	=+fa	Δ λ''						.=+fa				Δλ"							
<b>y</b> <sub>0</sub> :				sin ø	sin φ									$\sin \phi$					
y' :				sin φ'	sin φ'									sin φ′	sin φ'				
				$1 + \cos\Delta\phi$										$1 + \cos \Delta \phi$	$1 + \cos \Delta \phi$				
Va — <u>\$</u>				$\frac{\sin \phi + \sin \phi}{1 + \cos \lambda \phi}$	$\frac{\sin \phi + \sin \phi'}{1 + \cos \Delta \phi}$ or $\sin \phi_n$					_				$\frac{\sin \phi + \sin}{1 + \cos \Delta \phi}$	$\frac{\sin \phi + \sin \phi'}{1 + \cos \Delta \phi}$ or $\sin \phi_{\rm m}$				
у2			$-\Delta a''$ (approx.)					У2					$-\Delta a''$ (approx.)						
V +				+ F (Δ λ ")	+ F (Δ λ ") <sup>3</sup>					V				+ F (Δλ") <sup>3</sup>					
K (Va/1,000) <sup>2</sup> +				<u>- д а"</u>	<u>- Δ a"</u>					K (Va/1,000) <sup>2</sup> +				<u>-Δ a"</u>					
				TE (YYYYMMDD)									For s. under 8,000 r				the heavy		